

# Towards a Unified Dynamic Network Theory of Space, Time and Matter: A Conceptual and Philosophical Exploration

**Rudi Van Nieuwenhove**

Independent Researcher,

Dessel, Belgium (previously working at the Belgian Nuclear Research Centre, SCK-CEN, Belgium and at the Institute for Energy research IFE in Norway)

E-mail: [rvnieuwwe@gmail.com](mailto:rvnieuwwe@gmail.com)

ORCID ID : 0000-0003-1265-8718

## **Abstract**

This article proposes a deterministic foundation for quantum mechanics and spacetime based on a Unified Dynamic Network Theory (UDNT), in which nodes and links form the sole constituents of physical reality. Space, matter, and time are not independent entities but emergent aspects of the same underlying network dynamics. Nodes undergo continuous join-split cycles, producing the intrinsic oscillatory behavior normally attributed to zero-point fluctuations. Distance is defined by the typical number of network transitions between two regions rather than by pre-existing geometric separation. Phases attached to the network links enable multiple microscopic paths to coexist, providing a deterministic mechanism for superposition, interference, and wave-like behavior. Spin is incorporated through a minimal two-component internal structure of the link phases.

Matter arises as a stable pattern of enhanced connectivity that retains its identity under the network's evolution. In this way, space and matter are unified: particles are excitations of the same relational structure that constitutes the geometry around them. Such excitations naturally modify the surrounding network, suggesting a path toward a geometric description of gravitation. Quantum entanglement is reinterpreted as the presence of direct nonlocal connections that impose correlations without transmitting signals through space. In this framework, quantum randomness is not fundamental but emerges from the complexity of the network's deterministic evolution. The UDNT approach thus offers a coherent relational picture in which spacetime, matter, and quantum phenomena jointly arise from a single, evolving network substrate.

**Keywords:** Space-matter unification, Emergent geometry, Discrete spacetime, Network theory, Quantum foundations

## 1. Introduction

String theory, despite its mathematical elegance and promise of unifying gravity with quantum mechanics, remains fundamentally background-dependent. It assumes a fixed spacetime geometry upon which strings propagate, rather than allowing spacetime itself to emerge dynamically from the theory. This reliance on a pre-defined geometric backdrop stands in contrast with general relativity, which is fully background-independent. Furthermore, string theory lacks predictive power due to the enormous 'landscape' of possible vacua ( $\sim 10^{500}$ ), making it difficult to identify a unique low-energy limit corresponding to our universe. It also fails to offer direct experimental evidence after decades of development (Smolin, 2006; Witten, 1996; Ellis & Silk, 2014). Loop Quantum Gravity (LQG) (Rovelli, 2004) presents a bold attempt to quantize general relativity in a background-independent manner by replacing the smooth geometry of spacetime with discrete quantum states of geometry, so-called spin networks. While this is conceptually appealing, LQG also faces unresolved issues in dynamics, notably with the Hamiltonian constraint and the semiclassical limit (Nicolai & Zamaklar, 2005; Dittrich & Thiemann, 2009). Other approaches include causal dynamical triangulations (Ambjørn & Loll, 2005), group field theory (Oriti, 2009), and asymptotic safety (Niedermaier & Reuter, 2006). While mathematically rich, none yet provide a complete account of low-energy physics or matter couplings. Quantum Graphity (Konopka & Smolin, 2008; Caravelli & Markopoulou, 2011) tries to derive geometry from a pre-geometric network but struggles with node creation and embedding matter.

One guiding theme in physics is unification: Maxwell's unification of electricity and magnetism, Einstein's unification of space and time, the electroweak theory (Weinberg, 1967; Salam, 1968). Yet geometry and matter remain distinct in general relativity. A deeper theory may need to unify both as emergent aspects of one substrate. In this work we propose the Unified Dynamic Network Theory (UDNT), a deterministic local-rule-based model where both space and matter emerge from node-link dynamics. Matter can emerge from this network as a self-sustained dynamic structure of the network.

Apparent randomness arises from deterministic complexity, not indeterminacy. Recent work supports this line: tensor-network holography shows spacetime emerging from entanglement (Swingle, 2012; Sahay & Cotler, 2025); deterministic cellular-automation approaches ('t Hooft, 2016) pursue similar goals; and information-theoretic gravity emphasizes spacetime as emergent from quantum information (Van Raamsdonk, 2010; Cao & Carroll, 2018). These reinforce the plausibility of deterministic microdynamics yielding the quantum world. In most random tensor-network approaches, geometry

emerges from entanglement, while matter typically appears as excitations or defects of the underlying network. For instance, in (Sahay & Cotler, 2025) localized “hologron” excitations in a multiscale entanglement renormalization ansatz (MERA) tensor network are interpreted as matter-like disturbances within an emergent AdS-like bulk geometry. This resembles the hologron excitations of MERA, which are part of the network itself but interpreted as disturbances of an underlying background geometry. In contrast, in the present model particles are conceived as self-sustained configurations of the node–link fabric, co-generating geometry rather than emerging as excitations upon it. Whereas tensor-network approaches encode local structure in high-rank tensors with thousands of parameters, the present model assigns only simple link relations to each node, shifting the burden of complexity from local objects to the global dynamics of the network.

## 2. Network description

The network consists of nodes and links. The nodes carry complex amplitudes and the links complex phases (see later). It is assumed that the links have no direction.

The network evolves through deterministic rules governing node splitting and merging: A node may split into two, provided local connectivity rules are respected (no node may fall below three links). For the case of a non-expanding space, the average number of nodes must remain constant. This means that for every node which splits, there must be a corresponding pair of nodes which merge. The continuous splitting and merging of nodes correspond to the zero-point fluctuations of the vacuum. Further, we require that links are not allowed to “snap”, reflecting the conservation of information. As mentioned before, In UDNT, particles are self-sustained dynamical structures of the network.

### 2.1 Compatibility with Special Relativity

It is important that the dynamical network of space is compatible with Special Relativity. This imposes the axioms described next.

i) A node may only update its state from states of nodes to which it is directly linked. (Locality: No instantaneous influence between non-neighbor nodes).

ii) Influences may propagate at most one link per update cycle (or per fixed small number of cycles). This defines the maximum signal speed — the analogue of the speed of light.

iii) On large scales (coarse-grained over many nodes), the statistical distribution of links is uniform in every spatial direction. So, there is no built-in preferred rest direction. (Statistical homogeneity and isotropy).

iv) Any observer whose internal dynamics propagate at a finite fraction of the maximum

influence speed cannot detect an absolute rest frame using measurements internal to the network.

If these constraints hold, then:

- Lorentz symmetry appears in the coarse-grained long-range behavior of the network.
- Length contraction and time dilation follow naturally as different slicings through the same causal structure.
- Minkowski spacetime is not fundamental. Instead, it is an emergent geometry of the network.

Lorentz invariance is emergent from causal constraints on the network evolution.

## 2.2 Superposition

A key requirement of the network is that it can reproduce the phenomenon of superposition. This means that a single system can evolve along multiple compatible configurations simultaneously, with complex phases assigned to each configuration. So, superposition arises from the assignment of phases to links.

A particle moves by many allowed merge–split paths. Each path contributes a complex amplitude:

$$\mathcal{A}_{\text{path}} = \prod_{\text{links } (i,j)} U_{ij}$$

The quantity  $U_{ij}$  is the phase-propagation operator associated with the link between node  $i$  and node  $j$ . In other words, for any link  $(i, j)$  in the network,  $U_{ij}$  is a unitary operator that updates the particle's internal state when the excitation moves from node  $i$  to node  $j$ . If the system is spinless,  $U_{ij} = e^{i\phi_{ij}}$  (complex phase factor). If the system carries spin-1/2,  $U_{ij} = e^{i\phi_{ij}} R_{ij}$ , where  $R_{ij} \in \text{SU}(2)$  is a  $2 \times 2$  rotation acting on the spinor. So,  $U_{ij}$  is both a phase shifter and a spin rotator.

The final state is the sum over all allowed paths:

$$\Psi_{\text{final}} = \sum_{\text{paths}} \mathcal{A}_{\text{path}}$$

A particle's wave-like behavior emerges from how these phases accumulate along alternative paths through the network. Superposition reflects the coexistence of all path-dependent phase contributions, while interference arises from their relative phases. Thus,

even with undirected links, the network fully supports quantum superposition, interference, and spin, without requiring a built-in direction structure.

These phases evolve deterministically through the laws governing merge–split cycles. When a particle (a self-sustained excitation) propagates through the network, it follows many micro-paths simultaneously, not because the excitation physically splits, but because its internal consistency condition couples it to the phases of all neighboring links.

What appears in standard quantum mechanics as a “superposition of paths” is, in the UDNT, a single excitation interacting with multiple coherent phase assignments on the surrounding links. The particle does not choose one path; it samples all of them through deterministic phase evolution. Interference arises when the excitation reaches a site where different link paths contribute phases that add or cancel.

Superposition, in this model, is neither mysterious nor fundamental. It emerges because the particle samples many deterministic phase relationships simultaneously, and because its internal stability conditions depend on the full neighborhood of link phases. Spin emerges not from literal rotation of a structure, but from the transformation properties of the two-component phase under merge–split updates.

Thus, the UDNT reproduces key features of quantum behavior such as interference, superposition and spin through deterministic, local rules applied to a richly phased network.

## 2.4 Discrete Conservation Rules

A dynamical network intended to reproduce known physics must incorporate some analogue of local conservation laws. In the continuum, conservation of charge, probability, or energy–momentum follows from symmetry principles and is mathematically expressed by continuity equations. Their discrete counterpart in a network reads

$$\Delta Q(v) + \sum_{\ell \rightarrow v} J_\ell - \sum_{\ell \text{ from } v} J_\ell = 0$$

where  $Q(v)$  denotes a quantity associated with a node  $v$ , and  $J_\ell$  is a flux or transfer along a link  $\ell$ . The expression states that any change in the quantity stored at a node must be balanced by fluxes along neighboring links. Without such a constraint, the network’s evolution would be too unconstrained to yield stable excitations or well-defined propagation of information. This discrete continuity principle is therefore essential to ensure that the effective large-scale behavior of the network resembles the structure of physical field theories.

## 2.5 Emergent Smoothness and Coarse-Grain Stability

To recover familiar dynamical laws, such as Schrödinger, Dirac, or wave equations, a discrete network must support stable long-wavelength excitations and admit an effective coarse-grained continuum limit. This requires that microscopic irregularities do not grow under the update rules, and that the network is statistically homogeneous and isotropic at scales much larger than the fundamental link length. In practice, this imposes constraints on the network dynamics: local update rules must not introduce ultraviolet instabilities, and perturbations should disperse in an approximately linear fashion at coarse scales. These requirements guarantee that smooth wave-like behavior emerges naturally from the underlying discrete structure, allowing the continuum limit to approximate a differentiable manifold with well-defined propagation speeds.

## 2.6 Gauge-like Redundancies and Phase Freedom

Quantum theory fundamentally relies on the existence of phase degrees of freedom, which manifest through interference and the relative phases of wave amplitudes. To reproduce these effects, the network must possess an internal redundancy analogous to gauge freedom. A minimal requirement is that node amplitudes  $\psi_v$  may be rephased locally,

$$\psi_v \rightarrow e^{i\theta(v)}\psi_v$$

with compensating transformations in the phases assigned to links. Such transformations leave all observable predictions unchanged but are essential for ensuring the correct structure of interference, the existence of Berry-phase effects, and the potential emergence of electromagnetic-like interactions as collective phenomena of the network. Without this gauge-like redundancy, the network would lack the correct mathematical degrees of freedom to represent quantum fields or to support the rich phenomenology of phase-coherent dynamics.

## 2.7 Causality Constraints and the No-Signalling Condition

Although the network may support nonlocal links, which are required to account for quantum entanglement, it must still enforce the causal structure compatible with special relativity. In particular, nonlocal connections cannot be used to transmit signals or controllable information faster than light. This constraint may be expressed probabilistically as  $P(A | B) = P(A)$ , for events  $A$  and  $B$  associated with spacelike-separated network updates. While joint correlations between  $A$  and  $B$  may exist, local outcome statistics must remain unaffected by operations performed at distant nodes. This condition preserves Lorentz invariance at the emergent level and mirrors the structure of quantum nonlocality, where entanglement generates strong correlations but does not permit superluminal communication. Thus, the network must allow nonlocal correlations while simultaneously ensuring that its update rules respect operational causality.

## 2.8 Entanglement and Nonlocal Links

To reproduce quantum entanglement within the network framework, the structure must accommodate correlations that cannot be mediated by ordinary geometric adjacency alone. This can be achieved by introducing *nonlocal links*, connections between nodes that are separated by many intermediate nodes in the geometric network, but that are directly connected at the level of the underlying dynamical structure. Each such link may be assigned an internal complex weight  $\psi_{ij} = |\psi_{ij}| e^{i\phi_{ij}}$ , representing the strength and relative phase of the correlation between nodes  $i$  and  $j$ . These complex weights do not correspond to propagating signals; instead, they encode constraints on the joint probability distributions of measurement outcomes. During a measurement, the network locally resolves the amplitudes associated with the entanglement links connected to the measured node, and the correlations implied by the set  $\{\psi_{ij}\}$  determine the allowed collapse outcomes across distant regions. Because the update rules governing geometric links limit the propagation of classical influence to a finite number of hops per cycle, relativistic causality is preserved even in the presence of nonlocal correlations. In this way, the network supports both a causal, Lorentz-compatible geometry and a layer of nonlocal structure that accounts for quantum entanglement. The familiar interference phenomena of quantum mechanics arise when multiple nonlocal link patterns contribute amplitudes whose phases  $\phi_{ij}$  combine constructively or destructively, suggesting that entanglement is encoded in the global pattern of complex-valued connectivity rather than in any superluminal transmission of information.

## 2.9 Proposing Candidate Microscopic Rules

Identifying the microscopic rules governing the underlying space-network requires a systematic approach grounded in known physical principles. Several broad classes of rules offer a promising starting point.

### 2.9.1 Local Growth and Rewiring Rules

A natural assumption is that the network evolves through local update rules governing the creation, deletion, or rewiring of links based solely on the immediate neighborhood of each node. Let  $A(t)$  denote the adjacency matrix at discrete time  $t$ . Local dynamics can be expressed as  $A(t+1) = F[A(t)]$  where  $F$  affects only nodes within a finite graph radius. Exploring families of such rules (deterministic, stochastic, or threshold-based) makes it possible to search for combinations whose coarse-grained behavior reproduces smooth geometry and relativistic propagation.

### 2.9.2 Connectivity and Conservation Constraints

To avoid uncontrolled growth or collapse of the network, one may impose constraints resembling conservation laws. For example, the number of active links attached to each node may fluctuate around an equilibrium degree,

$$\sum_j A_{ij}(t) \approx k_0$$

ensuring that the emergent geometry remains approximately homogeneous. Such constraints also help stabilize wave-like excitations and support a meaningful continuum limit.

### 2.9.3 Complex Link Weights and Superposition

Quantum behavior suggests that links may carry complex amplitudes rather than binary values. In this case the network evolves through update rules of the form

$$A(t + 1) = U[A(t)] A(t),$$

where  $U[A(t)]$  acts as a local, unitary-like operator. This allows superposition and interference to emerge naturally from spreading complex amplitudes on the graph. The Schrödinger equation can then appear as a continuum approximation of discrete, phase-weighted propagation on the network.

### 2.9.4 Nonlocal Links and Entanglement Structure

To accommodate entanglement, the network may include a second layer of nonlocal links that do not represent spatial adjacency but encode quantum correlations. These links obey separate update rules that determine when they form, how they evolve, and under what conditions they decohere or collapse. Their presence allows distant regions of the local graph to share correlated amplitudes without transmitting signals, thereby reproducing quantum nonlocality.

### 2.9.5 Compatibility with Emergent Lorentz Symmetry

Perhaps the strongest constraint is the requirement that long-wavelength excitations propagate according to relativistic symmetries. This eliminates update rules that create preferred frames or anisotropies. Candidate rules should approximate a discrete wave equation,

$$\phi(t + 1) - 2\phi(t) + \phi(t - 1) = \Delta_{\text{graph}}\phi(t),$$

where the graph Laplacian  $\Delta_{\text{graph}}$  becomes rotationally symmetric at large scales. Only a restricted subset of microscopic rules flows toward Lorentz-invariant behavior under coarse-graining.

### 2.9.6 Geometry from Connectivity

Finally, curvature may arise from deviations from an equilibrium connectivity pattern. A simple curvature surrogate is  $R_i \sim k_i - k_0$ , where  $k_i$  is the degree of node  $i$ . Update rules

that redistribute such curvature can mimic geometric relaxation and may provide a route to gravitational behavior in the continuum limit.

Together, these classes offer a structured space of candidate microscopic rules. Their viability can be tested through coarse-graining analysis, numerical simulation, and comparison with the symmetries and dynamical laws observed in nature.

### **2.9.7 Outlook and Future Directions**

Taken together, these proposed classes of microscopic rules offer a coherent path toward a fundamental network-based description of space, matter, and quantum phenomena. The strategy is not to guess the exact rules from the outset, but to progressively narrow the space of possibilities by requiring that the emergent large-scale behavior reproduces the robust symmetries and dynamical structures of physics: Lorentz invariance, linear quantum evolution, entanglement correlations, and the stability of particle-like excitations. In this sense, the familiar laws of physics serve as fixed points toward which viable network dynamics must flow under coarse-graining. The next steps involve exploring specific rule sets through analytical approximations and numerical simulations, seeking those that naturally give rise to smooth geometry, wave propagation, and nonlocal quantum correlations. Any predicted deviations, such as slight modifications to dispersion relations or subtle structures in entangled correlations, could eventually provide empirical tests of the model. By combining theoretical filtering with potential observational signatures, it may become possible to progressively converge on the underlying dynamical rules governing the network structure of space itself.

## **3. Time as emergent network activity**

In UDNT, time is not introduced as an external parameter or imposed background structure. Instead, it emerges from the intrinsic dynamics of the underlying node-link network. Specifically, time is associated with the fluctuating behavior of local network configurations, where links may transiently shift, and nodes may split and merge in reversible processes. In regions of the network that are spatially stable, i.e. not undergoing net expansion or large-scale structural change, such activity does not result in permanent alterations to geometry or connectivity. However, these fluctuations still represent physical processes, and their cumulative count serves as a natural candidate for measuring the passage of time. Just as spatial distance is defined by the number of links connecting two nodes, temporal duration is defined by the number of local network transitions (e.g., oscillatory split-merge cycles) that occur within a given region. This approach offers a relational and quantized concept of time, grounded in the network's internal evolution rather than imposed from outside. Time is effectively a count of change, and it only "progresses" where such change occurs. This has several immediate consequences: Time

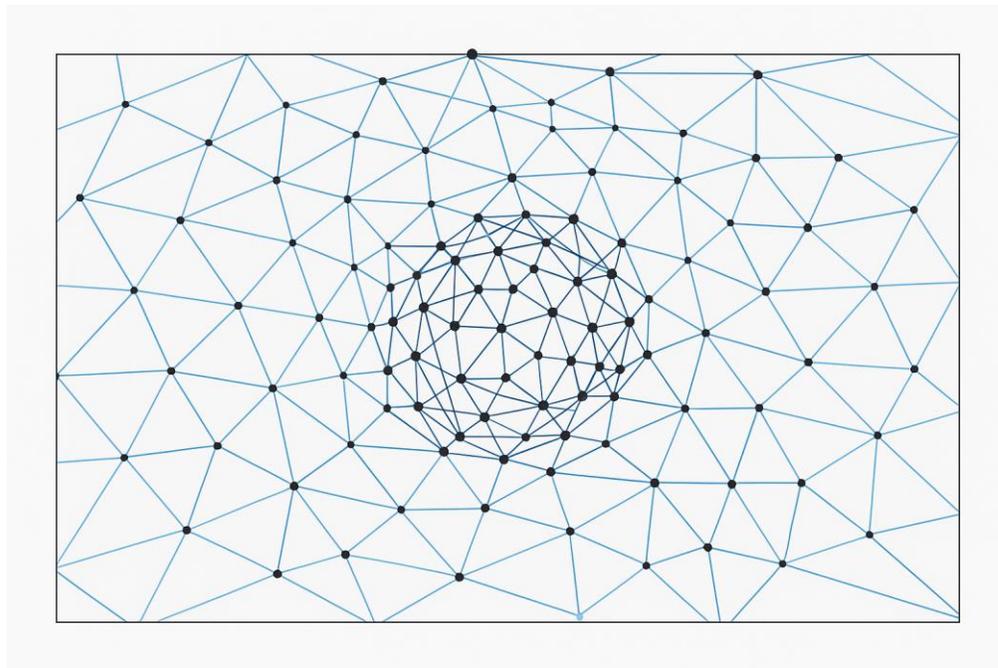
dilation can be interpreted as a local reduction in the frequency of network fluctuations, understood as fewer transitions per external comparison interval. In special and general relativity, local clocks (as well as rulers) play an essential role in the understanding of physical laws and the understanding of spacetime in general. Within our theory, these local clocks are now represented by local fluctuations.

#### 4. Mass, energy, and fields as emergent network quantities

In the UDNT framework, mass and energy are not introduced as external parameters but are instead understood as emergent properties of network dynamics. Two guiding principles support this interpretation:

(1) Local Suppression of Network Fluctuations

Matter configurations are understood as stable patterns in the network that restrict or reduce the range of allowed local fluctuations (see Fig. 1). In this sense, energy is identified with a loss of dynamical freedom in the vicinity of a structure: the presence of matter limits the set of accessible link rearrangements, effectively creating a low-entropy zone within the network. This aligns with the view that energy reflects deviation from a maximally fluctuating "vacuum" state and that structures with greater internal coherence (or rigidity) correspond to higher energy densities.



**Figure 1:** Schematic representation of a particle, as a dynamical, more organized, and self-sustained structure of the network.

## (2) Interaction with Surrounding Network

A second, complementary interpretation links energy and mass to the influence a structure exerts on its surroundings. A persistent configuration may alter connection probabilities, reorganize link directions, or suppress the formation of nearby nodes. This external “field-like footprint” mirrors how mass in general relativity curves the geometry of space. In UDNT, however, this influence arises not from curvature but from the structure’s redistribution of network activity around itself. The larger or more disruptive this footprint, the greater the associated mass-energy. These principles were anticipated in earlier proposals linking energy to the suppression of quantum degrees of freedom in space itself (Van Nieuwenhove, 1992) and find natural expression in the dynamic, discrete setting of UDNT. This perspective opens a path toward understanding gravity not as a fundamental force, but as a secondary effect emerging from how matter modulates the network’s intrinsic dynamics.

Einstein’s Field Equations describe mathematically how matter curves spacetime. However, a major shortcoming is that no physical mechanism is provided. UDNT on the other hand, provides a clear mechanism in line with (Van Nieuwenhove, 1992)).

Fields in UDNT are understood as fluctuating modes of the network, extending across its dynamic structure. These modes behave analogously to ensembles of coupled harmonic oscillators, with different types of fields corresponding to different allowed dynamical excitations of the network. Interactions between fields arise through specific configurations or resonances within the network’s local connectivity, enabling couplings between, for example, electromagnetic and fermionic modes. Each field encodes, at every location, the relevant quantum numbers (such as charge, spin, etc.) associated with its corresponding particle, such as for instance, a photon, gluon, or electron. Importantly, during the detection process of a particle, all the necessary information to “reconstruct” the particle from the field is already present locally in the network.

Although these fields are inherently extended, particles appear as localized excitations within them during interactions or measurements. In the UDNT framework, such localization arises naturally from the network dynamics itself. It reflects a temporary concentration of activity; a self-sustaining pattern of oscillations stabilized within a small region. This can occur through constructive interference of modes, resonance effects, or dynamic constraints imposed by the surrounding network topology. Thus, the particle is not an independent object but an emergent, sharply peaked field excitation, a coherent configuration in an otherwise fluctuating medium. Localization is therefore not imposed externally but emerges as a natural consequence of the network’s internal dynamics, reconciling the wave-like nature of fields with the observed particle-like behavior.

In the UDNT framework, particles are not localized defects, but stable excitations of global fields encoded in the network's dynamic structure. Spin is interpreted as a cyclic localized pattern in the network. This naturally accounts for quantized spin behavior (such as spin- $\frac{1}{2}$ ) without invoking substructure.

Charge is attributed to persistent asymmetries or topological features in the excitation's configuration, possibly connected to internal symmetries of the network rules. These properties determine how excitations interact with specific fields and may reflect deeper conservation laws inherent in the network dynamics.

The present approach naturally supports the view that the wave function represents a real physical structure, rather than merely a computational tool for predicting measurement outcomes. In standard quantum mechanics, only the squared norm of the wave function is directly observable as a probability density, but the full complex-valued wave function contains phase and interference information essential for describing physical phenomena such as tunneling, superposition, and entanglement. This tension between formalism and interpretation has long been recognized in foundational discussions. Several authors have argued for an ontological status of the wave function, including in the context of pilot-wave theory (de Broglie–Bohm), objective collapse models, and certain many-worlds interpretations. Yet no consensus has emerged as to what the wave function actually represents in physical terms. Within a network-based framework, however, the wave function may be interpreted more directly as a manifestation of the underlying network connectivity as a distributed configuration of links, phases, or topological constraints, that governs how a quantum object interacts with space and other systems. This view restores a form of physical realism to quantum theory and invites reinterpretation of wave phenomena as emergent features of discrete dynamical structure. In this framework, the wavefunction represents a real distributed configuration of network connections. Quantum behavior thus reflects deterministic connectivity patterns rather than fundamental indeterminacy.

## 5. Meaning of distance

In this framework, distance is not a primitive geometric quantity but an emergent statistical property of the evolving network. At any moment, a point in space is represented by a cloud of nodes whose connectivity patterns define an effective location. Because nodes can appear, disappear, or reconfigure, the number of network steps between two points fluctuates. What we perceive as distance corresponds to the *most probable* number of intermediate nodes along stable paths between regions of the network. On macroscopic scales these fluctuations average out and produce smooth geometry, while on microscopic

scales distance becomes inherently uncertain—not due to quantum indeterminacy, but because the network itself is dynamically reorganizing.

## **6. Movement of particles**

Motion in this network is not movement *through* a pre-existing space but a continuous reconfiguration of the relational structure that defines space itself. A particle corresponds to a pattern of enriched connectivity, an elevated density of links between the particle's internal node and surrounding spatial nodes. When the particle “moves,” what changes is the location of the region in which this link density is maximal. This occurs through local updates to the network: links weaken on one side of the particle's region and strengthen on the other, guided by phase relations that determine how constructive or destructive interference arises during the update process. Because distance itself is emergent from typical path lengths, motion is simply a drift in the statistical center of these connectivity patterns. The network provides no absolute reference frame; each particle defines its own relational neighborhood, and relative motion emerges from how their respective link-density patterns shift with respect to one another.

## **7. Apparent randomness, phases, and the Born rule**

Quantum superposition is reinterpreted in UDNT as the coexistence of multiple deterministic propagation routes. Each route carries a phase, assigned to nodes and links. When several routes connect source and detector, their contributions add coherently with these phases. The probability of an outcome is then given by the squared magnitude of the total amplitude, reproducing the Born rule (Born, 1926). As an example, consider two possible deterministic routes for a particle. If their phases align, the amplitudes add constructively and the detection probability increases. If their phases are opposite, the contributions cancel, yielding destructive interference. This is precisely the logic of the double-slit experiment: the apparent randomness of detection events arises not from indeterminacy in the rules, but from our ignorance of the underlying microstate. Thus, UDNT explains probabilities as emergent from interference of deterministic histories, with randomness only apparent.

## **8. Open Questions and Outlook**

Several fundamental challenges remain.

- Rule formalization: The dynamics of node creation, deletion, and re-linking must be expressed as a precise update rule. A key question is whether these rules can be framed in a compact algorithmic form analogous to the role spin networks and spin foams play in loop quantum gravity, while still reproducing smooth continuum behavior at large scales.
- Emergence of known physics: It remains unclear how familiar structures such as particle species, gauge symmetries, conservation laws, and Lorentz invariance arise from purely relational and local update rules. Establishing the bridge from microscopic connectivity to the Standard Model remains a central open problem.
- Simulation strategy: Even if the rules are simple, the evolving network may explore configuration spaces too large for classical computation. Because the wave-like phenomena of link-density evolution align naturally with quantum superposition, quantum simulation on a quantum computer may ultimately be the only practical way to study large-scale emergent behavior.

This perspective challenges the assumption that nature fundamentally “obeys equations.” In the network picture, differential equations and probabilistic laws may emerge only as coarse-grained descriptions of deeper, deterministic update rules. What appears as quantum randomness could then be a manifestation of structural complexity rather than intrinsic indeterminism.

## 9. Conclusions

The Unified Dynamic Network Theory proposes that space, time, matter, and quantum behavior arise from a single underlying substrate: a dynamically fluctuating network of nodes and links governed by simple deterministic rules. In this picture, geometry is not a background stage on which physical processes unfold, but the collective, statistical behavior of network connectivity. Matter is not introduced as an independent ingredient; instead, it arises as a self-sustained excitation of the same network that constitutes space. This unification of space and matter is one of the most consequential implications of the framework: the fabric of space and the structures we interpret as particles are woven from the same underlying relational dynamics.

Quantum phenomena emerge naturally from this picture. The phases carried by links encode the multi-path structure underlying quantum interference, while deterministic phase evolution reproduces the Born rule as the statistical expression of interference among many microscopic histories. Entanglement is attributed to non-geometric correlations represented by nonlocal links—connections that do not transmit signals but impose global consistency conditions on distant regions of the network. These links permit quantum correlations without violating the causal constraints of special relativity, which emerge from the network's local propagation rules.

Time itself is interpreted as a measure of local network activity: the count of merge–split cycles occurring within a region. Time dilation arises when these cycles slow down due to local constraints imposed by matter excitations or gravitational environments. Motion is reconceived as a drift in the center of a pattern of enhanced connectivity, not as translation through pre-existing spatial points.

Taken together, these elements suggest a radically unified ontology: the universe consists solely of a dynamic network, whose patterns of connectivity give rise to geometry, fields, particles, clocks, motion, and correlations. Differential equations and probabilistic laws, rather than being fundamental, appear as coarse-grained approximations to the deterministic microdynamics of the network.

While many aspects of the theory remain to be formalized, particularly the precise update rules and the emergence of the Standard Model, the conceptual coherence of the framework highlights a promising direction. It shows that a deterministic, relational network can reproduce the core structures of modern physics and offers a new route toward unifying quantum theory, spacetime, and matter under a single foundational principle.

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